



Multi-segmentation of sonar images using belief function theory

M. Dhibi^a, R. Courtis^b and A. Martin^a

^aENSIETA E3I2, 2 rue François Verny, 29806 Brest Cedex 9, France

^bI2ETA Romain Courtis, GESMA/SDP/GDM, BP 42, 29240 Brest Armées, France
mounir.dhibi@ensieta.fr

e.g

1 Introduction

e.g

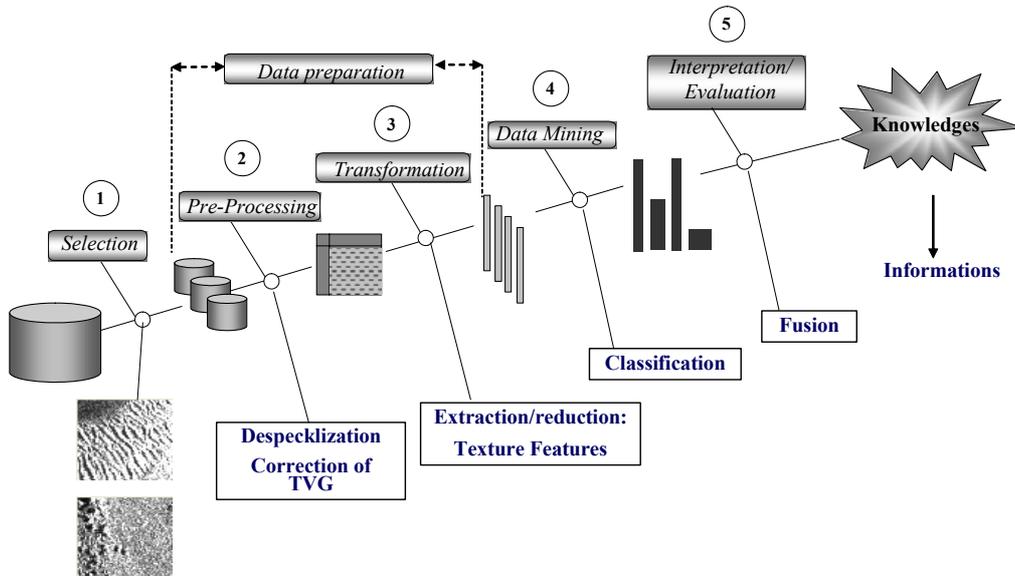
2.1 Texture analysis

2 Method

$$\text{Homogeneity} = \sum_{i=1}^{N_g-1} \sum_{j=1}^{N_g-1} P_{ij}$$

$$\text{Contrast} = \sum_{i=1}^{N_g-1} \sum_{j=1}^{N_g-1} |i-j| P_{ij}$$

$$\text{Correlation} = \frac{\sum_{i=1}^{N_g-1} \sum_{j=1}^{N_g-1} ijP_{ij} - \mu_x \mu_y}{\sigma_x \sigma_y}$$



$$Entropy = - \sum_{i=1}^{N_g} \sum_{j=1}^{N_g} P_{ij} \log P_{ij}$$

$$\mu_c = \frac{1}{n_c} \sum_{k=1}^{n_c} x_k$$

$$Directivity = \sum_{i=1}^{N_g} P_{ii}$$

$$Uniformity = \sum_{i=1}^{N_g} P_{ii}$$

3.1 Fusion

$$j, \mu_x, \mu_y, \sigma_x, \sigma_y$$

3 Classification

$$D \quad C \quad C_n \quad D \quad m_j$$

$$\sum_{A \subseteq D} m_j A =$$

$$d_{Mah} x \mu_c = x - \mu_c \quad \sum x - \mu_c$$

$$\begin{cases} m_j^i(\{C_i\})(x) = \alpha_{ij} R_j p q_j C_i + R_j p q_j C_i \\ m_j^i(\{C_i\}^c)(x) = \alpha_{ij} + R_j p q_j C_i \\ m_j^i(D)(x) = -\alpha_{ij} \end{cases}$$

$$q_j = \sum_i \alpha_{ij} R_j$$

$$R_j = \sum_i p_{q_j} C_i$$

$$p_{q_j} C_i$$

$$m_A = \frac{1}{k} \sum_{B \cap B = A} m_B$$

$k = m_\emptyset$

$$betP A = \sum_{X \in \mathcal{D}, X \neq \emptyset} \frac{X \cap A}{X} m_X$$

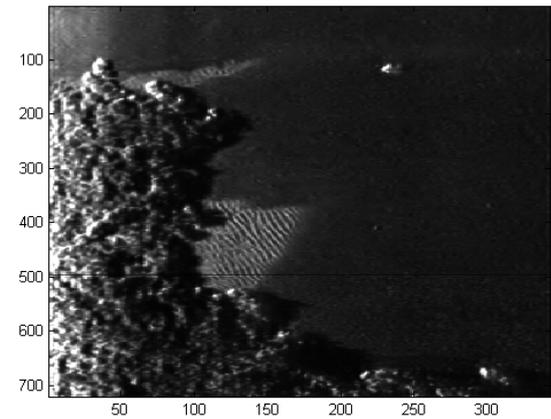
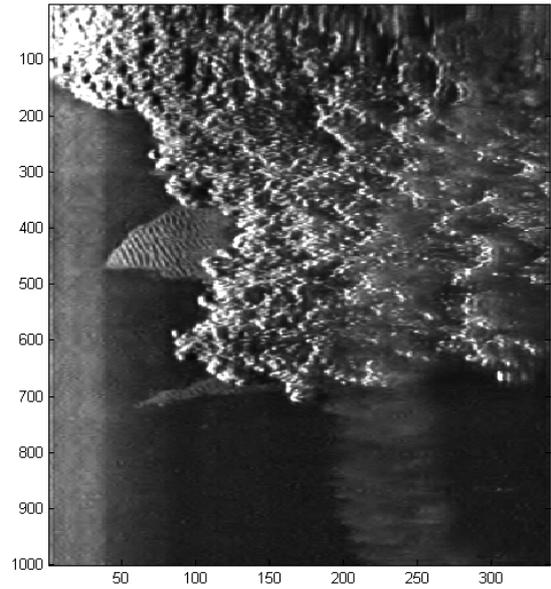
4 Experimental results

4.1 Sonar image data base

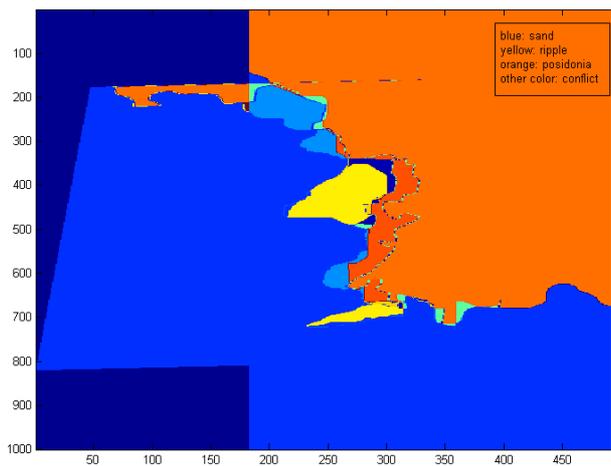
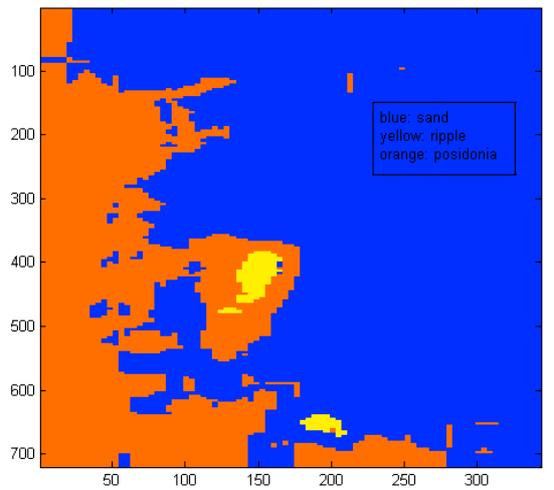
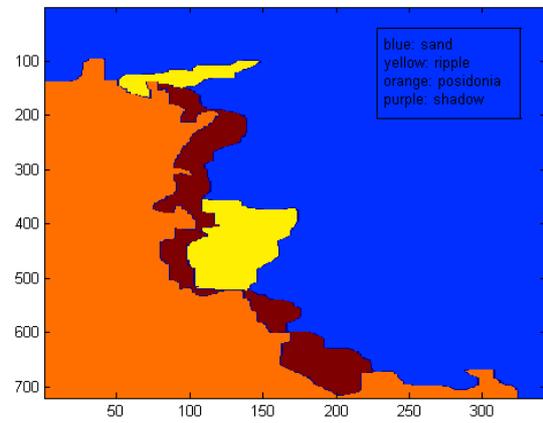
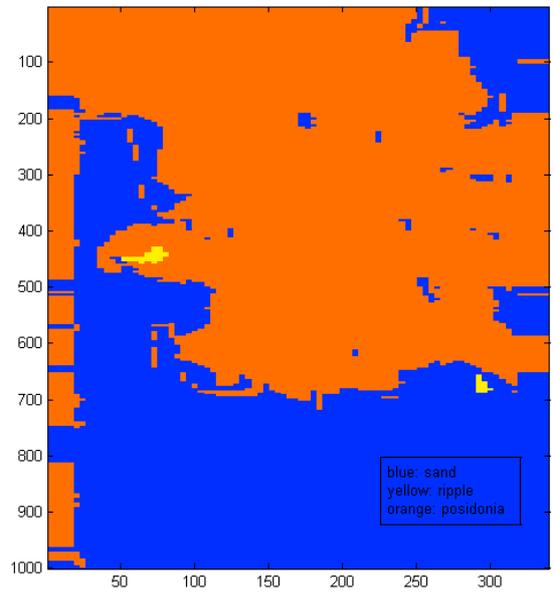
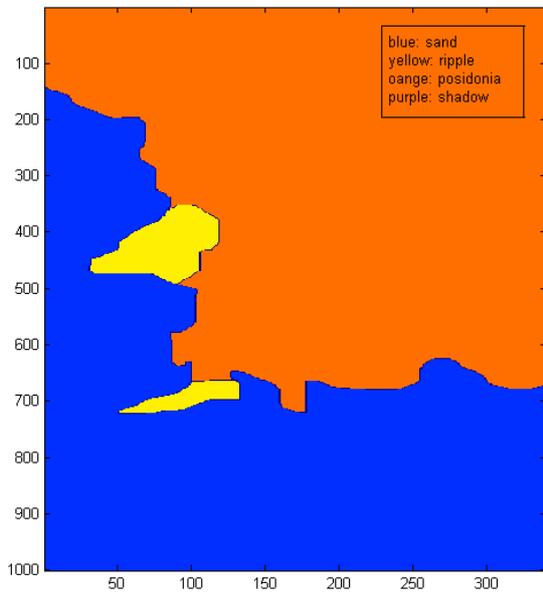
l'Atlantique Groupe d'Etude Sous Marine de

cf.

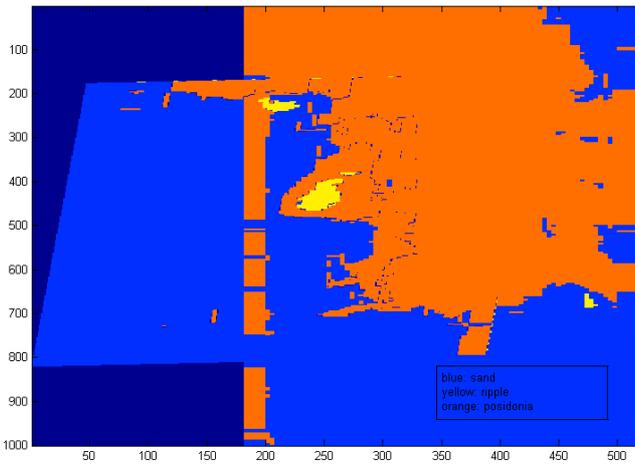
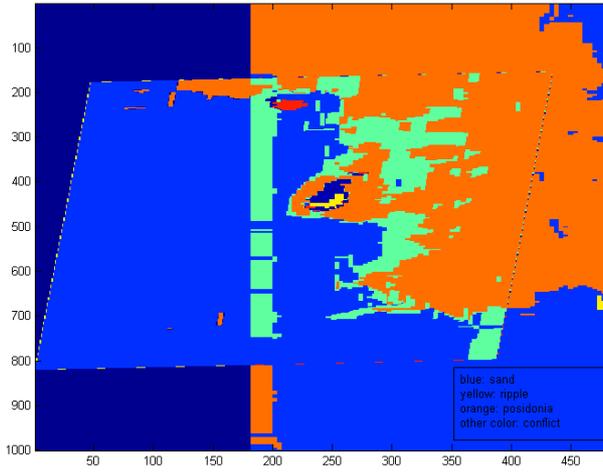
la Grande Vaille Groupe d'Etudes Sous-Marines de
l'Atlantique cartographie de la
couverture du fond marin par fusion multi capteurs



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References



5 Conclusion